

## A 16bit 31 $\mu$ w Resetting 2<sup>nd</sup> Order $\Sigma\Delta$ Modulator in 130 nm Technology

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### ABSTRACT

High-resolution, moderate-speed, calibration-free analog-to-digital converters (ADCs) are becoming increasingly difficult to design in low-voltage nanometer-scale CMOS processes. We proposed ADC architecture based on a resetting modulator that achieves high resolution, despite poor component matching. The design utilized one pipeline a second-order resetting modulator and a 10b cyclic ADC. The device achieves 16b resolution. It consumes 31 $\mu$ W from a 1.8 V supply. The whole analysis done in 130nm technology.

**Key words:** ADC, high-resolution, Resetting  $\Sigma\Delta$  modulator, Quantizer, Comparator, D flip- flop, FIR filter.

### 1. INTRODUCTION

In recent years, high-resolution analog-to-digital conversion based on sigma-delta ( $\Sigma\Delta$ ) modulation has become common in many measurement applications including seismic, biomedical and harsh environment sensing. Oversampled sigma-delta modulation has gained much popularity in analog to digital conversion application for their good performance in high frequency, low consumption, low supply voltage and low silicon area occupation. Device scaling in modern CMOS technology enables high-speed conversion, but high-resolution is hard to achieve [1]. Continuous-time (CT)  $\Sigma\Delta$  ADCs suffer from the requirement of RC time-constant calibration and are sensitive to clock jitter [6]. Switched-capacitor (SC)  $\Sigma\Delta$  ADCs employ a low over-sampling ratio (OSR) and multi-bit feedback DACs to achieve high-bandwidth, but calibration and/or dynamic element matching of the feedback DACs is required to maximize performance [2].  $\Sigma\Delta$  ADCs also require digital decimation filter of considerable speed [6].

A resetting converter, also known as single-shot or incremental [8] converter, is essentially a  $\Sigma\Delta$  ADC in which the modulator is reset after a pre-determined number of clock cycles. Another type of resetting ADC, known as an extended counting converter uses reusable hardware and uses high-resolution, compact, and low-power ADC both employ a first order resetting modulator.

ADC architecture based on a resetting modulator achieves high resolution, despite poor component matching. A

resetting is the modulator reset after a predetermined number of clock cycles. Resetting removes the memory of the modulator and enables the converter to function as a Nyquist converter. In this way resetting ADCs incorporate the advantages of a modulator in a Nyquist-sampling ADC.

Desired characteristics of adc can be achieved by Figure (1). Here the whole circuit is split into three designs, designing of modulator, designing of 10b cyclic ADC and designing of FIR filter

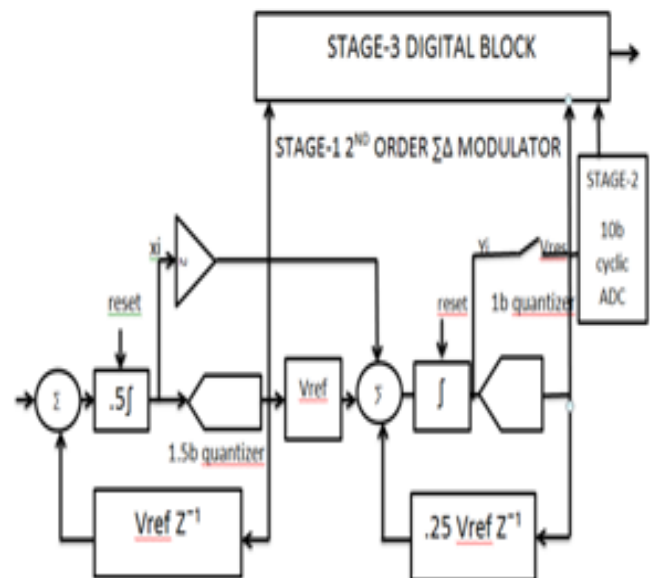


Figure 1: Block diagram of resetting ADC

Stage 1 of the Figure(1) is 2<sup>nd</sup> order  $\Sigma\Delta$  modulator and taken modulator is resetting modulator.

**II. RESETTING MODULATOR**

To understand 2<sup>nd</sup> order  $\Sigma\Delta$  modulator it is important to understand the working and benefits of 1<sup>st</sup> order  $\Sigma\Delta$  modulator.

Fig. 2 shows an example of a first order resetting  $\Sigma\Delta$  ADC which is reset after ‘N’ clock cycles. Since the average of the digital outputs  $D_i(i=1 \text{ to } N)$  is the digital estimate of the input  $V_{in}$  the estimate improves as N increases

$$V_{in} = V_{ref} \sum D_i / N \quad (1)$$

Resetting modulator architectures for high absolute accuracy, including very high linearity, negligible dc offset with high OSR have been used for low-frequency (<.5 MHz) or DC input signal applications [14]. Here a resetting ADC with large bandwidth is demonstrated. High bandwidth, low OSR incremental converters are analyzed in [10].

A resetting  $\Sigma\Delta$  modulator can replace one or more of the front-end stages of a pipeline ADC. Fig. 2 shows an example of a first-order  $\Sigma\Delta$  resetting modulator. As with a conventional  $\Sigma\Delta$  stage, capacitors  $c_1, c_2$  and the op-amp form an integrator. The input signal is sampled onto capacitor  $c_1$  and later integrated onto feedback capacitor  $c_2$ . In each integrating step  $i(i=1 \text{ to } N)$  the output of op-amp is quantized to  $D_i$  by the 1.5 b sub-ADC.

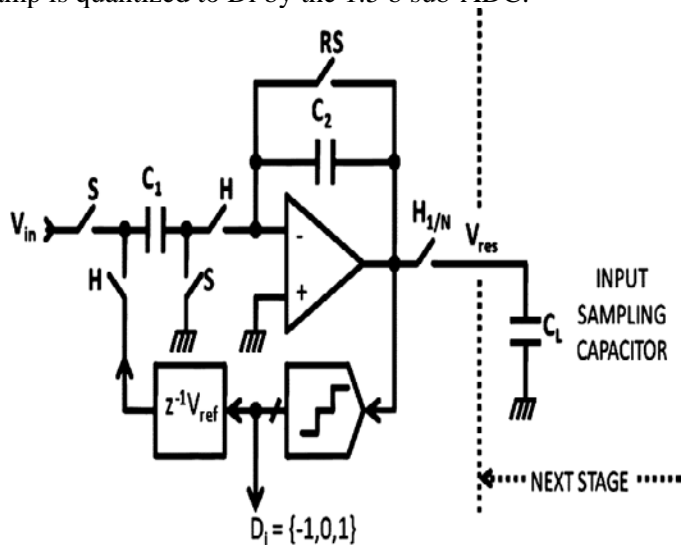


Figure 2: 1<sup>st</sup> order resetting  $\Sigma\Delta$  modulator with OSR=N  $D_i$  which has a value -1,0 or 1, is multiplied by  $V_{ref}$  to form the DAC feedback of the  $\Sigma\Delta$  modulator. A reset switch across feedback capacitor  $C_2$ , controlled by clock RS, periodically resets the integrator. In the example shown in Figure (2), clock RS goes high once every N clock cycles, resetting the modulator, and thus this resetting  $\Sigma\Delta$  modulator has an OSR of N.

This final integrator output,  $V_{res}$ , is passed onto a load capacitor  $C_L$ , before reset, through a switch controlled by clock  $H_1/n$ .

The load capacitor  $C_L$ , is the input sampling capacitor of the next pipeline stage, which quantizes the residue  $V_{res}$  of resetting modulator stage.

A good RC-settling match between sampling of the input signal onto the capacitors  $C_1 - C_4$  and sampling of the input by the sub-ADC. Without an active front-end S/H, any RC-settling mismatch between the input signal sampling onto the capacitors  $C_1 - C_4$  and sub-ADC sampling of the input, can cause an incorrect decision by the sub-ADC, and this decision error can be large for a high frequency input signal. To avoid such errors an active front-end S/H is often used, especially in the case of high-resolution converters.

**III. PROPOSED ADC ARCHITECTURE**

The proposed architecture (Fig. 1) is a pipeline of a second order resetting modulator (stage 1) and a 10 b cyclic ADC

(stage 2). While a first-order resetting modulator achieves a stage-gain proportional to the number of integrating clock cycles. A second-order resetting modulator is used in stage 1 to achieve a large effective stage-gain in only five integrating clock cycles. Such a front-end can typically replace the first two stages of a conventional pipeline ADC. This front-end second-order modulator incorporates all the advantages of a first-order modulator namely, low required op-amp gain, lower settling error, large tolerance of capacitor mismatch, and the elimination of the need for an active front-end S/H and lower noise due to oversampling.

The front-end modulator samples and modulates the input at five times the effective conversion-rate. After every five samples, the residue at the output of the front-end is passed to the second-stage cyclic ADC and the modulator is reset. The cyclic ADC then quantizes the residue while the front-end processes the next 5 samples.

**IV. CIRCUIT DETAILS**

**A. FRONT-END MODULATOR**

The SC implementation of the second-order resetting front-end (stage 1 of the ADC) is shown in Figure(3).

The first and second integrators are implemented using op-amps A1 and A2 respectively. The outputs of first integrator and second integrator are 1.5 b and 1 b quantized to  $a_i$  and  $b_i$ , respectively by the two sub-ADCs shown. Both op-amps are implemented as folded cascade OTA.

**1. FOLDED CASCADE OTA**

For modulator and cyclic ADC we need high gain OTA, So here target design is OTA. Folded Cascode OTA has found a broad use because of its reduced thermal noise and a possible optimization of power consumption. Folding about the cascode node will increase input and output swing range. For a folded OTA bandwidth performance is high.

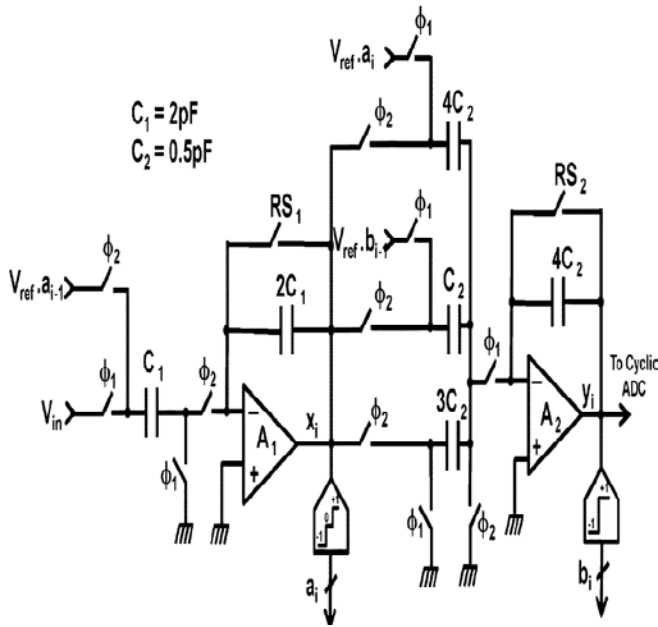


Figure 3: ADC architecture.

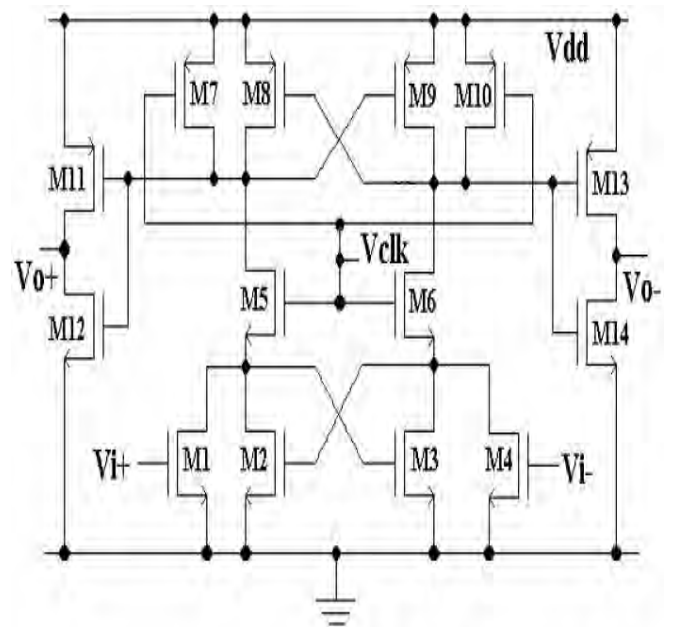


Figure 5: Latched type comparator

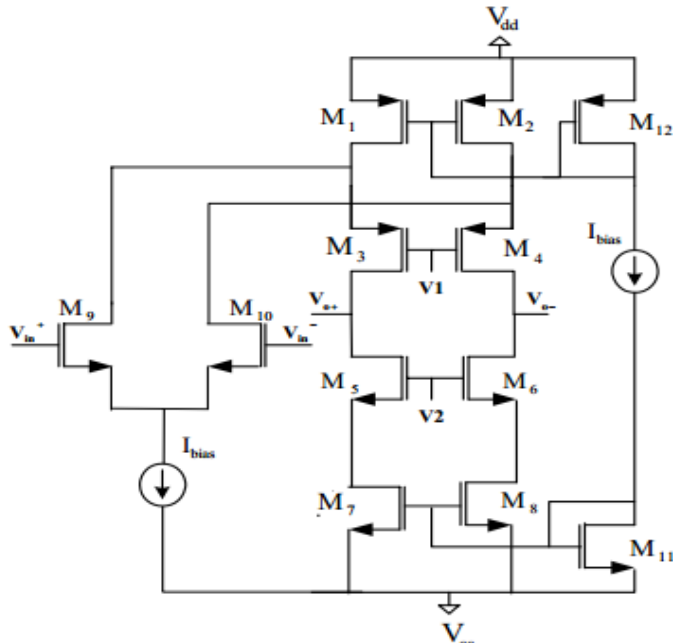


Figure 4: Folded cascode OTA

**B. QUANTIZER (1bit and 1.5bit)**

Figure 5 shows the 1bit quantizer used in this design. The quantizer consists of a one bit comparator followed by a D flip flop. M1 and M4 are the discharge-current-controlling transistors which are connected to a feedback network formed by M2 and M3; M5 and M6 are transfer gates for strobing; M8 and M9 for another regenerative feedback; M7 and M10 are precharge transistors; M11-M14 formed two inverters which act as buffers to isolate the latch from the output load and to amplify the comparator output.

**C. D FLIP FLOP**

D Flip Flop is presented in the Figure (6). When the clock signal is high the transistors M6 and M8 are cut off and the transistors M2 and M4 are returned on.

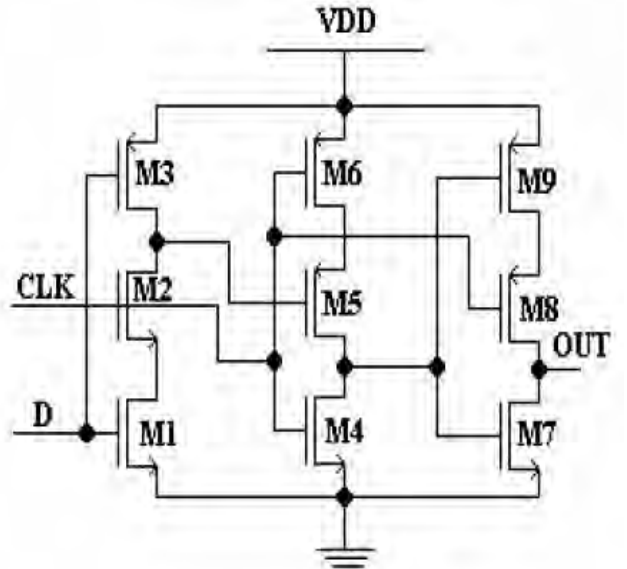


Figure 6: Schematic of D Flip-Flop.

The voltage on M4 drain node is being pulled to ground and hence forces the transistor M7 cut off. The output node is there for disconnected to either positive rail or the ground and the output therefore is being latched to the previous value. On the other hand, the transistors M1-M3 formed a clock-buffered inverter. When the clock signal is high, the drain voltage of the transistor M2 is the output of this inverter. Similarly we can also design 1.5bit quantizer as shown in Figure(7).

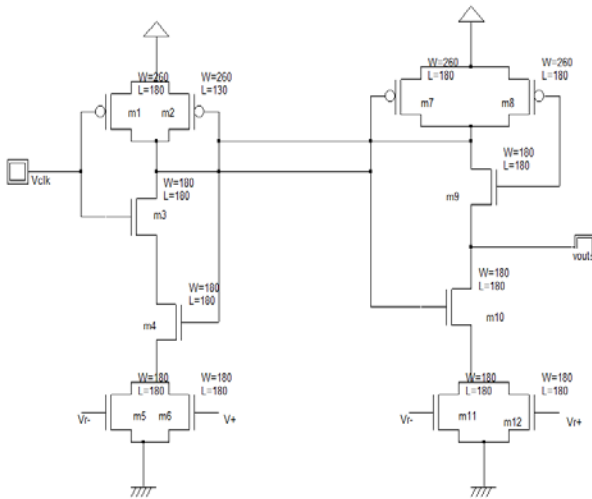


Figure 7: Schematic of 1.5bit Quantizer.

2. CYCLIC ADC

Figure (8) shows the SC implementation of the 10 b cyclic ADC. The cyclic ADC is implemented using a single op-amp. This ADC resolves 1.5b in each half-clock-period to yield 10 b resolution in 5 clock cycles, thus matching the latency of the front-end modulator. The cyclic ADC consumes 8mW.

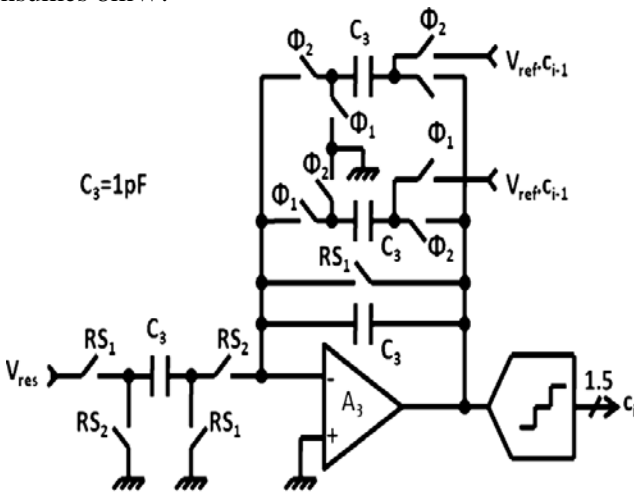


Figure 8: Cyclic ADC

3. DIGITAL FILTER

The digital block, combines the sub-ADC outputs from the second order modulator and the cyclic ADC to give the overall ADC digital output, Dout. The digital block, functions as a linearly-weighted averaging FIR filter. There are several options for choosing the filter such as linearly weighted averaging digital filter, an ideal brick-wall filter, sinc1 filter and a sinc3 filter.

A sinc3 filter, traditionally used in second-order  $\Sigma\Delta$  ADCs, has a very good noise decimation factor of 8.9 but suffers from a large worst-case pass-band droop of 11.34 dB, which severely limits the usable bandwidth of the

ADC. The simple linearly weighted averaging filter has a relatively poor noise decimation factor of 4.1 but has a low pass-band droop of only 2.77 dB, enhancing the usable bandwidth of the ADC.

Here we are using FIR filter uses feed forward logic. Feed-forward means that there is no feedback of past or future outputs to form the present output, just input related terms. The implementation of an FIR requires three basic building blocks: multiplication, addition, signal delay as shown in Figure (9). Memory also needed to store filter coefficient

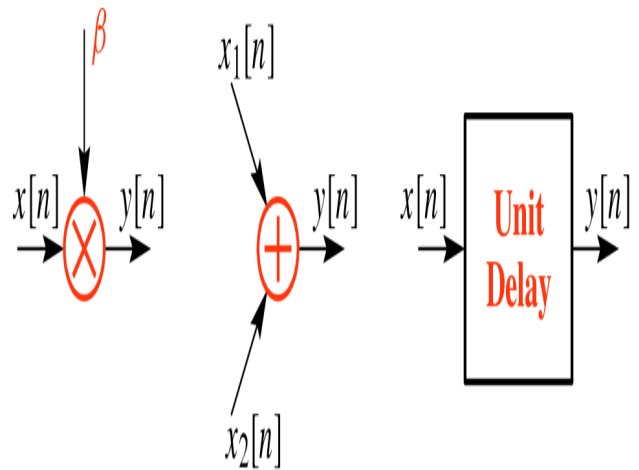


Figure 9: Building blocks of FIR filter.

Block Diagram

Using the building blocks described above, we can construct a block diagram for say an M=3 FIR filter. The signal flow is strictly feed-forward, since all paths connecting the input to the output flow in the forward direction.

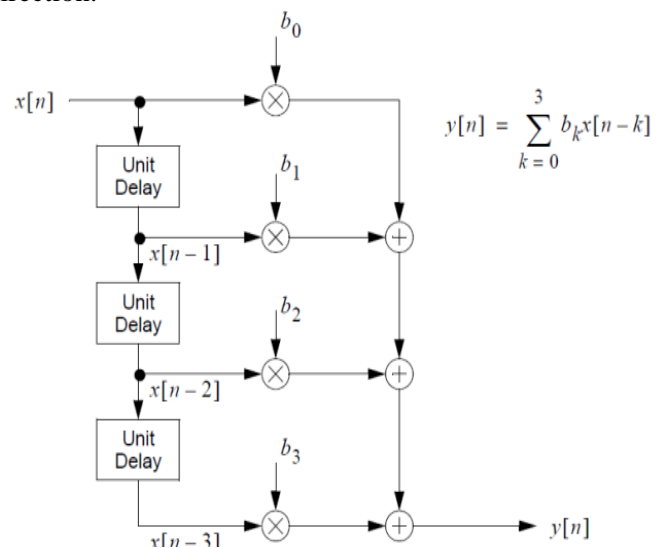


Figure 10: Block diagram of FIR filter.

IV. MEASUREMENT RESULT

Designing of overall circuit in 130nm technology is done

Table 1:Comparative analysis with Lee work

	Lee work	Present work
Resolution	14b	16b
Power	48mW	36 $\mu$ W
Power Supply	2V	1.8V

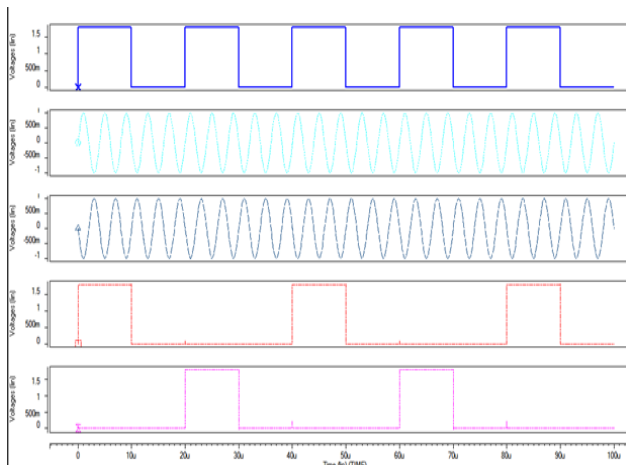


Figure 11: Waveform of 1bit Quantizer

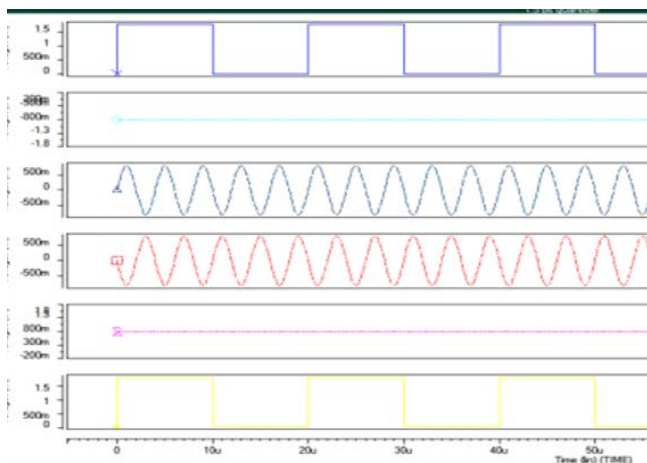


Figure 12: Waveform of 1.5bit Quantizer

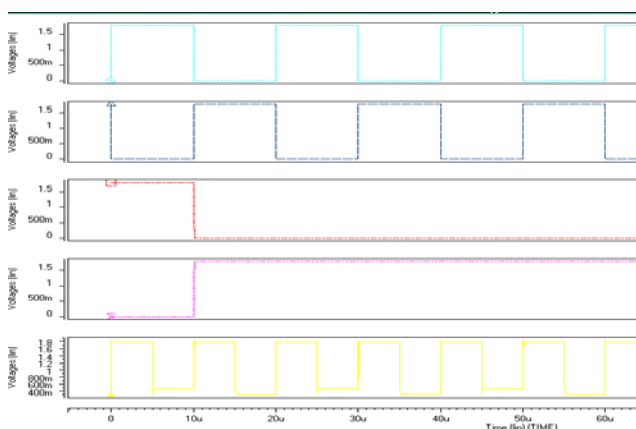


Figure 13: Waveform of Resetting sigma-delta modulator

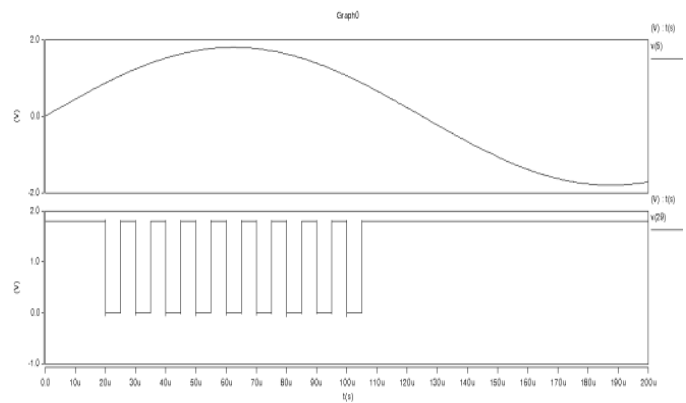


Figure 14: Waveform of Resetting sigma-delta ADC



**V. CONCLUSION**

This paper proposes a switched capacitor resetting sigma delta modulator in ADC. Explanations are presented about resetting modulator, cyclic ADC and FIR filter. High resolution and power reduction is achieved in 130nm technology.

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